

Improving the accuracy of orientation estimation from gyroscope data:

A data simulation study

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Introduction

- Reducing the number of IMUs used in human movement analysis enables its widespread use, but is hindered by the limited accuracy of single sensor orientation estimation.
- Our goal is to minimize errors in the orientation estimation from angular velocity data¹.**
- Orientation estimation could be improved by increasing the sampling frequency, or by including higher order terms in the often used^{2,3} first order Taylor approximation.
- This is a first step towards sparse IMU setups in biomechanical applications in both the sport and health domain.

Methods

- Angular velocity signals with varying amplitudes and complexity (1D, 2D, 3D) are simulated.
- Orientation is estimated using a first and second order Taylor approximation at different sampling frequencies.
- First order Taylor approximation:

$$R(t + \tau) = R(t) + R'(t)\tau$$

Where R is the rotation matrix, τ is the timestep and $R'(t)$ is the first derivative of $R(t)$.

- Second order Taylor approximation:

$$R(t + \tau) = R(t) + R'(t)\tau + R''(t)\frac{\tau^2}{2}$$

Where $R''(t)$ is the second derivative of $R(t)$.

- The error angle is used to denote the shortest angle between the estimated and analytically derived orientation.

Results

Results shown are from a simulated 1D angular velocity signal: $(2\pi\cos(2\pi t) \ 0 \ 0)^T$ (see Figure 1). **Including the second order term in the Taylor approximation reduces the error and seems to have a larger effect than increasing the sampling frequency (see Figure 2).**

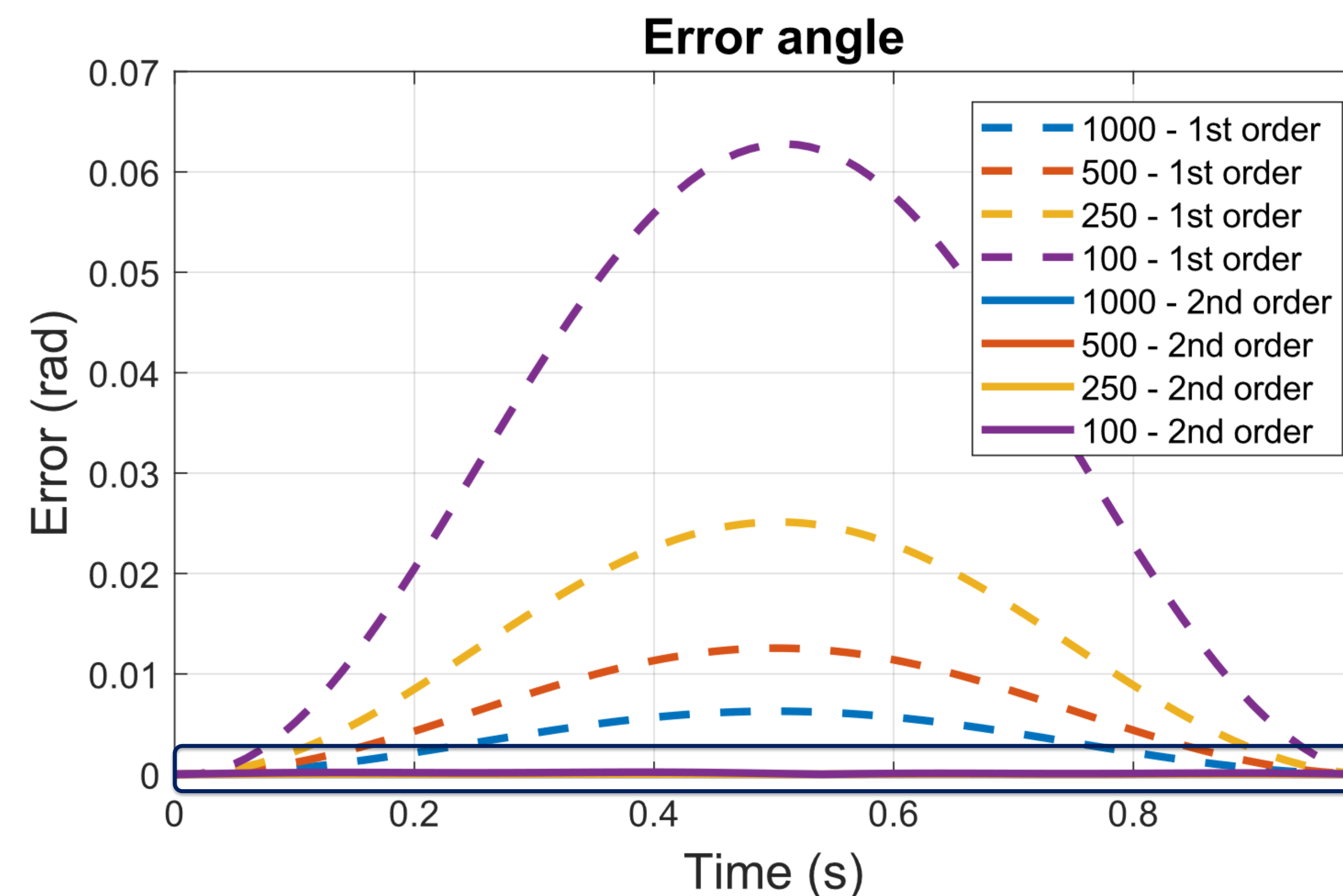


Figure 2: The error angle displayed for different sampling frequencies, and for a first and second order Taylor approximation.

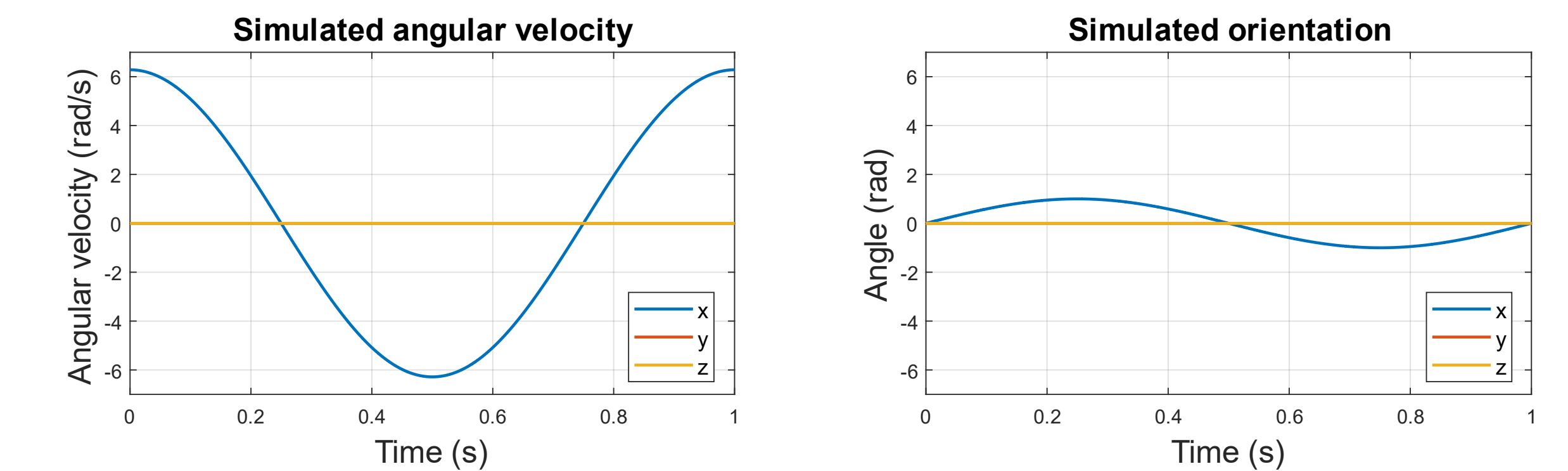
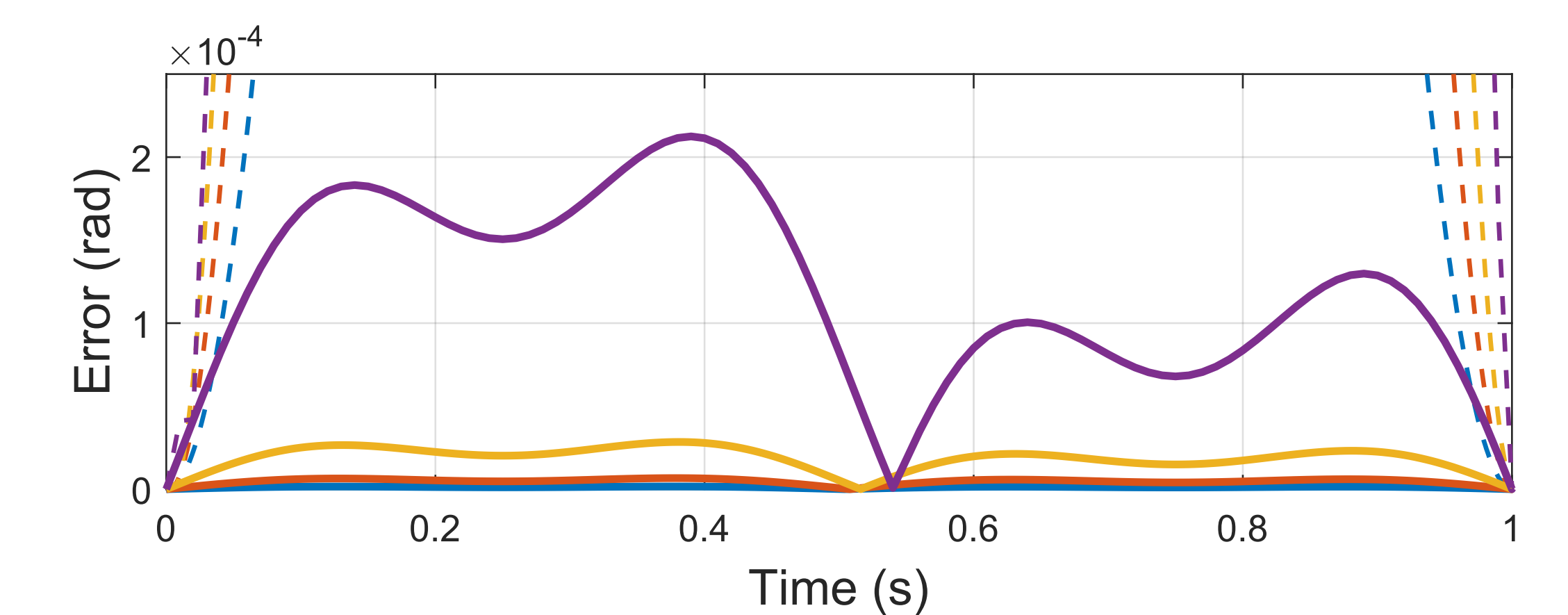


Figure 1: The simulated angular velocity and orientation signal.

- Sampling frequency $\uparrow 2 \rightarrow$ error \downarrow 2-/4-fold**
- Second order term \rightarrow error \downarrow 295-/3920-fold**



Conclusions

Our initial results suggest that we can improve the orientation estimation by increasing the sampling frequency, or by including a second order term in the Taylor approximation. Inclusion of the second order term seems to have a larger effect, at limited computational cost (2.5x increase in runtime to 31 μ s in MATLAB at 250 Hz). More complex simulated and experimentally obtained signals are currently being evaluated.

Significance

Minimization of errors in the orientation estimation could facilitate (near) real-time applications of sparse IMU setups in biomechanical sport-oriented applications such as single-IMU-based kinematic estimation in running². Moreover, it could enable at-home monitoring of, for example, the foot progression angle of patients³, thereby generating a more continuous patient profile that could allow for tailored care.

